NTU Applied Mathematics Analysis seminar



kernel is the double layer potential for the Lam\'e system, a system of partial differential equations in linear elasticity. In this seminar, we show two results on its spectral analysis;

(1) Polynomial compactness on $C^{1} \in \mathbb{C}^{1}$ boundaries and (2) Essential spectrum on boundaries with a corner.

(1) Polynomial compactness on $C^{1, \lambda}$ boundaries.

It is known that, unlike the Neumann--Poincar\'e operator for the Laplace equation, the eNP operator is not compact on $C^{1, \lambda}$ boundaries for any $\lambda = 0$, and even on C^{λ} boundaries. However, it was proved that it is polynomially compact on $C^{1, \lambda}$ boundaries in the two dimensional case. On the other hand, in the three dimensional case, its polynomial compactness was known only on C^{λ} boundaries. In this talk, we extend this result in three dimensions to the case of $C^{1, \lambda}$ domains. This topic is based on a joint work with Hyeonbae Kang (Inha University, Korea).

(2) Essential spectrum on boundaries with a corner.

We move to the case where the two dimensional domain is smooth except at a corner of angle $\lambda , 0 < \lambda < 2 \leq 2 \leq \infty , \lambda < 1, \delta \leq \infty , 0 \leq \infty , 0$

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